

Original Article

Comparative study of some Topological Indices of Zanamivir and Chloroquine

Nagsen Khanderao Raut

Department of Physics, Sunderrao Solanke Mahavidyalaya Majalgaon Dist. Beed (M.S.) INDIA.

Received: 07 August 2022

Revised: 09 September 2022

Accepted: 20 September 2022

Published: 30 September 2022

Abstract - Zanamivir is medication used to treat and prevent influenza caused by Influenza A and B viruses. Chloroquine is antiviral drug used for treating malaria and autoimmune disease. Gourava indices are degree-based indices. In this paper we study some topological indices of Zanamivir and Chloroquine by Graph theory polynomials.

Keywords - Chloroquine, Gourava exponential, Gourava index, M-polynomial, R-degree, R-index, topological index, Zanamivir.

1. Introduction

Let G be a simple, finite, connected graph with vertex set $V(G)$ and edge set $E(G)$. The degree d_v of a vertex is the number of vertices adjacent to v . Antiviral drugs are a class of medication used for treating viral infections. The molecular formula of Zanamivir is $C_{12}H_{20}N_4O_7$. Recently many topological indices are used in the study of antiviral drugs applied in the treatment of COVID-19. Many research papers appear on topological indices of Chloroquine, Hydroxychloroquine and Remdesivir in the current study of Chemical graph theory [1-16]. Chloroquine is the most widely used medication to treat malaria [17]. For a simple connected graph G , the first and second Zagreb indices [18] are defined as

$$M_1(G) = \sum_{uv \in E(G)} (d_u + d_v) \quad \text{and} \quad M_2(G) = \sum_{uv \in E(G)} d_u d_v.$$

The hyper Zagreb index is defined as [19]

$$HZ(G) = \sum_{uv \in E(G)} (d_u + d_v)^2.$$

The hyper Zagreb is related to $F(G)$ and $M_2(G)$ as [21],

$$HZ(G) = F(G) + 2M_2(G).$$

Many degree based topological indices are expressed in terms of function $F(x,y)$ in [20]. Different versions of harmonic indices of certain of carbon nanotubes were studied by S.Ediz et al. in [22]. Sum connectivity Kulli-Basava index, product connectivity Kulli-Basava index was introduced and computed for a molecular graph by V.R.Kulli [23]. M-polynomial for nanostructures are discussed in many papers on topological indices of a molecular graph for example [24-26]. Topological indices of local anesthetic drugs was studied by N.K.Raut [27].

The first Gourava index and product connectivity Gourava index are defined as [28]

$$G_1O(G) = \sum_{uv \in E(G)} (d_u + d_v + d_u d_v) \quad \text{and} \quad PGO(G) = \frac{1}{\sqrt{(d_u + d_v) d_u d_v}}.$$

The second Gourava index of molecular graph G is defined as

$$G_2O(G) = \sum_{uv \in E(G)} (d_u + d_v) d_u d_v.$$

The first and second hyper Gourava indices of a molecular graph are defined as

$$HG_1O(G) = \sum_{uv \in E(G)} (d_u + d_v + d_u d_v)^2 \quad \text{and} \quad HG_2O(G) = \sum_{uv \in E(G)} [(d_u + d_v) d_u d_v]^2.$$

We define reciprocal sum connectivity Gourava index and reciprocal product connectivity Gourava index as



$$\text{RSGO}(G) = \sum_{uv \in E(G)} \sqrt{d_u + d_v + d_u d_v} \text{ and } \text{RPGO}(G) = \sum_{uv \in E(G)} \sqrt{(d_u + d_v) d_u d_v}.$$

The R-degree and R-indices of a molecular graph G were defined and investigated by S. Ediz in [29]. We define reciprocal hyper second R-index and reciprocal hyper third R-index as

$$\text{RHR}^2(G) = \sum_{uv \in E(G)} \frac{1}{[r(u)r(v)]^2} \text{ and } \text{RHR}^3(G) = \sum_{uv \in E(G)} \frac{1}{[r(u)+r(v)]^2},$$

where $r(v) = S_v + M_v$, $S_v = \sum_{u \in N(v)} \deg(u)$ sum degree of v and $M_v = \prod_{u \in N(v)} \deg(u)$ the multiplication degree of v . The set of all vertices which are adjacent to v is called the open neighborhood of v and denoted by $N(v)$. By using the first derivative of the Schultz, modified Schultz polynomials of Jahangir graph $J_{3,m}$ (evaluated at $x = 1$) one can compute the Schultz, modified Schultz indices [30] as

$$\text{Sc}(J_{3,m}) = \left. \frac{\partial \text{Sc}(J_{3,m,x,y})}{\partial x} \right|_{x=1}.$$

The M-polynomial of graph G is defined as

$$M(G;x,y) = \sum_{\delta \leq i \leq j \leq \Delta} m_{ij}(G) x^i y^j,$$

where $\delta = \min\{d_v | v \in V(G)\}$, $\Delta = \max\{d_v | v \in V(G)\}$, and $m_{ij}(G)$ is the edge $vu \in E(G)$ such that

$$i \leq j, \text{ with } D_x = x \frac{\partial f(x,y)}{\partial x}, D_y = y \frac{\partial f(x,y)}{\partial y}, S_x = \int_0^x \frac{f(t,y)}{t} dt, S_y = \int_0^y \frac{f(x,t)}{t} dt, J(f(x,y)) = f(x,x),$$

$$Q_\alpha(f(x,y)) = x^\alpha f(x,y).$$

The notations used in this paper are standard and mainly taken from books of chemical graph theory [31-33]. In this paper first and second Gourava indices, first and second hyper Gourava indices and reciprocal hyper second R-index and reciprocal hyper third R-index are studied by M-polynomials and the reciprocal sum connectivity Gourava index and reciprocal product connectivity Gourava index for Zanamivir and Chloroquine is computed by Gourava exponential.

2. Materials and Methods

A molecular graph is a simple and connected graph. The molecular formula of Zanamivir is $C_{12}H_{20}N_4O_7$. The number of vertices is $12+4+7 = 23$ that is vertex set $|V(G)| = 23$ and edge set $|E(G)| = 23$. The molecular graph of Zanamivir is shown in figure 1. The molecular graph of Chloroquine is considered in the determination of M-polynomials and exponential is also shown in figure 1. Degree-based topological indices are computed by using vertex degree of Zanamivir and Chloroquine. To study reciprocal hyper second R-index and reciprocal hyper third R-index, the sum degree and multiplication degree of the end vertices are used. The topological indices of Zanamivir and Chloroquine are compared graphically. The bond set partition of Zanamivir and Chloroquine are determined from molecular graph of respective structures. The M-polynomial of molecular graph of Zanamivir and Chloroquine is written from edge set of molecular graphs. The reciprocal sum connectivity Gourava index and reciprocal product connectivity Gourava index for Zanamivir and Chloroquine are computed by Gourava exponential.

3. Results and Discussion

3.1. Topological indices of Zanamivir

In this section we compute some topological indices of Zanamivir by M-polynomial and Gourava exponential. Antiviral drugs are class of medication used specifically for treating viral infections. Zanamivir is medication used to treat and prevent influenza caused by influenza A and B viruses. The molecular graph of Zanamivir is shown figure 1. From 2-dimensional graph of Zanamivir we see that $(d_u, d_v) = (1,2) = 1, (1,3) = 8, (2,3) = 9$ and $(3,3) = 5$. The M-polynomial is written as

$$M(G;x,y) = xy^2 + 8xy^3 + 9x^2y^3 + 5x^3y^3.$$

Let G be the molecular graph of Zanamivir. The degree-based edge partition is used for computing the topological indices such as first Gourava index, second Gourava index, first and second hyper Gourava indices, reciprocal sum connectivity Gourava index and product connectivity Gourava index. The edge partitions are given in table I-IV and M-polynomial based

formulas for topological indices are represented in table-V. The bond edge partitions of Zanamivir are used to investigate reciprocal hyper second R-index and reciprocal hyper third R-index.

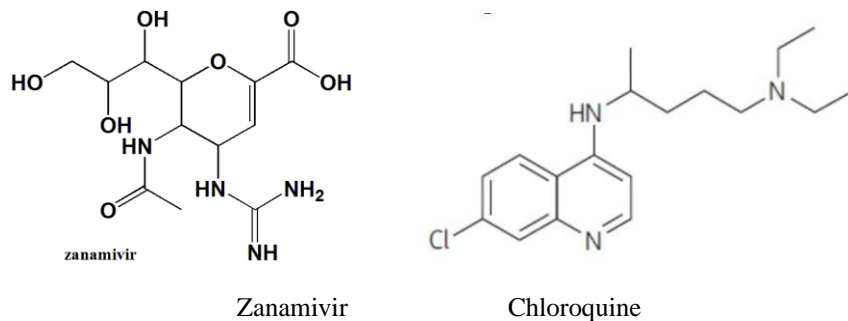


Fig. 1.2-D graphs of Zanamivir and Chloroquine.

Table 1. Edge partitions of Zanamivir

$(d_u, d_v) uv \in E(G)$	(1,2)	(1,3)	(2,3)	(3,3)
Number of edges	1	8	9	5

Table 2. Bond set partitions of Zanamivir

(d_u, d_v)	Frequency	(S_u, S_v)	(M_u, M_v)
(1,2)	1	(2,4)	(2,3)
(1,3)	1	(3,7), (3,6)	(3,9), (3,6)
	2	(3,5)	(3,3)
	4	(3,4)	(3,2)
(2,3)	1	(4,6)	(3,6)
	4	(6,7)	(9,12)
	2	(6,8)	(9,12)
	2	(6,4)	(9,2)
(3,3)	5	(6,7), (7,8), (7,5), (7,8), (8,8)	(6,9), (9,18), (12,3), (12,18), (18,18)

Some topological indices of Zanamivir and Chloroquine are computed by M-polynomial and reciprocal sum connectivity Gourava index, reciprocal product connectivity Gourava index by Gourava exponential.

Theorem 1. First Gourava index of Zanamivir is 235.

Proof. Consider a molecular graph of Zanamivir as shown in figure 1. Using table I and formula of first Gourava index $G_1O(G) = \sum_{uv \in E(G)} (d_u + d_v + d_u d_v)$, we get first Gourava index.

M-polynomial expression for molecular graph G is

$$M(G; x, y) = xy^2 + 8xy^3 + 9x^2y^3 + 5x^3y^3.$$

$$D_x M(G; x, y) = xy^2 + 8xy^3 + 18x^2y^3 + 15x^3y^3.$$

$$D_y M(G; x, y) = 2xy^2 + 24xy^3 + 27x^2y^3 + 15x^3y^3.$$

$$D_x D_y M(G; x, y) = 2xy^2 + 24xy^3 + 54x^2y^3 + 45x^3y^3.$$

$$G_1O(G) = (D_x + D_y + D_x D_y)(M(G; x, y))|_{x=y=1} = 235.$$

Theorem 2. Second Gourava index of Zanamivir is 642.

Proof. Using table I and the formula of second Gourava index

$$G_2O(G) = \sum_{uv \in E(G)} (d_u + d_v) d_u d_v, \text{ we get second Gourava index.}$$

The M-polynomial of graph G of Zanamivir is

$$M(G; x, y) = xy^2 + 8xy^3 + 9x^2y^3 + 5x^3y^3.$$

$$D_y M(G; x, y) = 2xy^2 + 24xy^3 + 27x^2y^3 + 15x^3y^3.$$

$$(D_x D_y) M(G; x, y) = 2xy^2 + 24xy^3 + 54x^2y^3 + 45x^3y^3.$$

$$D_x M(G; x, y) = xy^2 + 8xy^3 + 18x^2y^3 + 15x^3y^3.$$

$$D_y(D_x D_y) M(G; x, y) = 4xy^2 + 72xy^3 + 162x^2y^3 + 135x^3y^3.$$

$$D_x(D_x D_y) M(G; x, y) = 2xy^2 + 24xy^3 + 108x^2y^3 + 135x^3y^3.$$

$$G_2O(G) = (D_x + D_y) D_x D_y (M(G; x, y))|_{x=y=1} = 642.$$

Theorem 3. First hyper Gourava index of Zanamivir is 2631.

Proof. Using table I and the formula of first hyper Gourava index

$$HG_1O(G) = \sum_{uv \in E(G)} [d_u + d_v + d_u d_v]^2, \text{ we get first hyper Gourava index.}$$

The M-polynomial of graph G of Zanamivir is

$$M(G; x, y) = xy^2 + 8xy^3 + 9x^2y^3 + 5x^3y^3.$$

$$D_x^2 M(G; x, y) = xy^2 + 8xy^3 + 36x^2y^3 + 45x^3y^3.$$

$$D_y^2 M(G; x, y) = 4xy^2 + 72xy^3 + 81x^2y^3 + 45x^3y^3.$$

$$(D_x^2 D_y^2) M(G; x, y) = 4xy^2 + 72xy^3 + 324x^2y^3 + 405x^3y^3.$$

$$(2D_x D_y) M(G; x, y) = 4xy^2 + 48xy^3 + 108x^2y^3 + 90x^3y^3.$$

$$(2D_x D_y^2) M(G; x, y) = 8xy^2 + 144xy^3 + 304x^2y^3 + 270x^3y^3.$$

$$(2D_x^2 D_y) M(G; x, y) = 4xy^2 + 48xy^3 + 216x^2y^3 + 270x^3y^3.$$

$$HG_1O(G) = (D_x^2 + D_y^2 + D_x^2 D_y^2 + 2D_y D_x + 2D_x^2 D_y + 2D_x D_y^2)(M(G; x, y))|_{x=y=1} = 2631.$$

Theorem 4. Second hyper Gourava index of Zanamivir is 23868.

Proof. Using table I and the formula of second hyper Gourava index

$$HG_2O(G) = \sum_{uv \in E(G)} [(d_u + d_v) d_u d_v]^2, \text{ we get second hyper Gourava index.}$$

The M-polynomial of graph G of Zanamivir is

$$M(G; x, y) = xy^2 + 8xy^3 + 9x^2y^3 + 5x^3y^3.$$

$$D_x M(G; x, y) = xy^2 + 8xy^3 + 18x^2y^3 + 15x^3y^3.$$

$$D_y M(G;x,y) = 2xy^2 + 24xy^3 + 27x^2y^3 + 15x^3y^3.$$

$$D_y^2 M(G;x,y) = 4xy^2 + 72xy^3 + 81x^2y^3 + 45x^3y^3.$$

$$(D_x^4 D_y^2) M(G;x,y) = 4xy^2 + 72xy^3 + 1296x^2y^3 + 3645x^3y^3.$$

$$D_y^3 M(G;x,y) = 8xy^2 + 216xy^3 + 243x^2y^3 + 135x^3y^3.$$

$$(2D_x^3 D_y^2) M(G;x,y) = 8xy^2 + 144xy^3 + 1296x^2y^3 + 2430x^3y^3.$$

$$D_y^4 M(G;x,y) = 16xy^2 + 648xy^3 + 729x^2y^3 + 405x^3y^3.$$

$$D_x^2 D_y^4 M(G;x,y) = 16xy^2 + 648xy^3 + 2916x^2y^3 + 405x^3y^3.$$

$$HG_2O(G) = (D_x^4 D_y^2 + 2D_x^3 D_y^2 + D_x^2 D_y^4)(M(G;x,y))|_{x=y=1} = 23868.$$

Theorem 5. Reciprocal sum connectivity Gourava index of Zanamivir is 72.6.

Proof. Using table I and the formula of reciprocal sum connectivity Gourava exponential we get RSGO(G).

$$\begin{aligned} RSGO(G,x) &= \sum_{uv \in E(G)} x^{\sqrt{d_u+d_v+d_u d_v}} \\ &= \sum_{12 \in E(G)} x^{\sqrt{1+2+1*2}} + \sum_{13 \in E(G)} x^{\sqrt{1+3+1*3}} + \sum_{23 \in E(G)} x^{\sqrt{2+3+2*3}} + \sum_{33 \in E(G)} x^{\sqrt{3+3+3*3}}. \\ &= x^{\sqrt{5}} + 8x^{\sqrt{7}} + 9x^{\sqrt{11}} + 5x^{\sqrt{15}}. \\ RSGO(G) &= \frac{\partial(RSG(G,x))}{\partial x} \Big|_{x=1} = [\sqrt{5} + 8\sqrt{7} + 9\sqrt{11} + 5\sqrt{15}] = 72.6. \end{aligned}$$

Theorem 6. Reciprocal product connectivity Gourava index of Zanamivir is 116.1.

Proof. Using table I and the formula of reciprocal product connectivity Gourava exponential we get reciprocal product connectivity Gourava index.

$$\begin{aligned} RPGO(G,x) &= \sum_{uv \in E(G)} x^{\sqrt{(d_u+d_v)d_u d_v}}, \\ &= \sum_{12 \in E(G)} x^{\sqrt{(1+2)1*2}} + \sum_{13 \in E(G)} x^{\sqrt{(1+3)1*3}} + \sum_{23 \in E(G)} x^{\sqrt{(2+3)2*3}} + \sum_{33 \in E(G)} x^{\sqrt{(3+3)3*3}}. \\ &= x^{\sqrt{6}} + 8x^{\sqrt{12}} + 9x^{\sqrt{30}} + 5x^{\sqrt{54}}. \\ RPGO(G) &= \frac{\partial(RPGO(G,x))}{\partial x} \Big|_{x=1} = [\sqrt{6} + 8\sqrt{12} + 9\sqrt{30} + 5\sqrt{54}] = 116.1. \end{aligned}$$

Theorem 7. Reciprocal hyper second R-index of Zanamivir is $4.6 * 10^{-3}$.

Proof. Using table II and the formula of reciprocal hyper second R-index

$$RHR^2(G) = \sum_{uv \in E(G)} x^{\left(\frac{1}{(r(u)r(v))^2}\right)}, \text{ we get reciprocal hyper second R-index.}$$

The M-polynomial of graph G of Zanamivir is

$$M(G;x,y) = x^4y^7 + x^6y^{16} + 2x^6y^8 + 4x^6y^6 + x^6y^{12} + x^7y^{12} + 2x^{15}y^{26} + 4x^{15}y^{19} + 2x^{15}y^6 + x^{12}y^{16} + x^{16}y^{26} + x^{19}y^{18} + x^{19}y^{26} + x^{26}y^{26}.$$

$$S_y^2 M(G;x,y) = \frac{1}{16}x^4y^7 + \frac{1}{36}x^6y^{16} + \frac{2}{36}x^6y^8 + 4\frac{1}{36}x^6y^6 + \frac{1}{36}x^6y^{12} + \frac{1}{49}x^7y^{12} + \frac{2}{225}x^{15}y^{26} + \frac{4}{225}x^{15}y^{19} + \frac{2}{225}x^{15}y^6 + \frac{1}{144}x^{12}y^{16} + \frac{1}{256}x^{16}y^{26} + \frac{1}{361}x^{19}y^{18} + \frac{1}{361}x^{19}y^{26} + \frac{1}{676}x^{26}y^{26}.$$

$$S_x^2 S_y^2 M(G;x,y) = \frac{1}{16*49}x^4y^7 + \frac{1}{36*256}x^6y^{16} + \frac{2}{36*64}x^6y^8 + 4\frac{1}{36*36}x^6y^6 + \frac{1}{36*144}x^6y^{12} + \frac{1}{49*144}x^7y^{12} + \frac{2}{225*676}x^{15}y^{26} + \frac{4}{225*361}x^{15}y^{19} + \frac{2}{225*36}x^{15}y^6 + \frac{1}{144*256}x^{12}y^{16} + \frac{1}{256*676}x^{16}y^{26} + \frac{1}{361*324}x^{19}y^{18} + \frac{1}{361*676}x^{19}y^{26} + \frac{1}{676*676}x^{26}y^{26}.$$

$$RHR^2(G) = S_x^2 S_y^2 (M(G;x,y))|_{x=y=1} = 4.6*10^{-3}.$$

Theorem 8. Reciprocal hyper third R-index of Zanamivir is 0.066.

Proof. Using table II and the formula of reciprocal hyper third R-index $RHR^3(G) = \sum_{uv \in E(G)} x^{\left(\frac{1}{(r(u)+r(v))^2}\right)}$, we get reciprocal hyper third R-index.

The M-polynomial of graph G of Zanamivir is

$$M(G;x,y) = x^4y^7 + x^6y^{16} + 2x^6y^8 + 4x^6y^6 + x^6y^{12} + x^7y^{12} + 2x^{15}y^{26} + 4x^{15}y^{19} + 2x^{15}y^6 + x^{12}y^{16} + x^{16}y^{26} + x^{19}y^{18} + x^{19}y^{26} + x^{26}y^{26}.$$

$$JM(G;x,y) = x^{11} + x^{22} + 2x^{14} + 4x^{12} + x^{18} + x^{19} + 2x^{41} + 4x^{34} + 2x^{21} + x^{28} + x^{42} + x^{37} + x^{45} + x^{52}.$$

$$S_x^2 JM(G;x,y) = \frac{1}{121}x^{11} + \frac{1}{484}x^{22} + \frac{2}{196}x^{14} + \frac{4}{144}x^{12} + \frac{1}{324}x^{18} + \frac{1}{361}x^{19} + \frac{2}{1681}x^{41} + \frac{4}{1156}x^{34} + \frac{2}{441}x^{21} + \frac{1}{784}x^{28} + \frac{1}{1764}x^{42} + \frac{1}{1369}x^{37} + \frac{1}{2025}x^{45} + \frac{1}{2704}x^{52}.$$

$$RHR^3(G) = S_x^2 J(M(G;x,y))|_{x=y=1} = 0.066.$$

3.2. Topological indices of Chloroquine

The 2-D molecular graph of Chloroquine with vertices 22 and edges 23 is shown in figure 1. Edge partitions of Chloroquine is given in table III. The molecular formula of Chloroquine is C₁₈H₂₆ClN₃. First and second Gourava indices, first and second hyper Gourava indices, reciprocal hyper second R-index and reciprocal hyper third R-index are computed by using M-polynomial and reciprocal sum connectivity Gourava index, reciprocal product connectivity Gourava index by Gourava exponential.

R-degree of a vertex v is defined as r(v) = S_v + M_v, where S_v is sum degree of v and M_v is the multiplication degree of v. Reciprocal hyper second and third R-indices are computed by using bond set partitions of chloroquine. The bond set partitions are in given table IV. The derivational formulas of topological indices by M-polynomial are given in table 5. The topological indices computed for Chloroquine are given below. The values of some topological indices for Chloroquine are First Gourava index = 226, second Gourava index = 584, first hyper Gourava index = 2370, second hyper Gourava index = 18272, reciprocal sum connectivity index = 71, reciprocal product connectivity index = 109.8, reciprocal hyper second R-index = 0.0044 and reciprocal hyper third R-index = 0.00058.

Table 3. Edge partitions of Chloroquine

(d _u ,d _v)\uv∈E(G)	(1,2)	(1,3)	(2,2)	(2,3)	(3,3)
Number of edges	2	2	5	12	2

Table 4. Bond set partitions of Chloroquine

(d _u ,d _v)	Frequency	(S _u ,S _v)	(M _u ,M _v)
(1,2)	2	(2,4)	(2,3)
(1,3)	2	(3,5)	(3,4)
(2,3)	2	(5,5),(6,5),(6,7),(5,7),(4,6)	(6,4), (9,4),(9,12),(6,12),(3,8)
	1	(5,8),(5,6)	(9,18),(6,8)
(2,2)	1	(5,5),(5,5),(5,7),(5,4),(5,5)	(6,6),(4,6),(4,8),(6,4),(4,6)
(3,3)	1	(7,8),(8,7)	(12,8),(18,12)

Table 5. Derivational formulas for topological indices by M-polynomial

Topological index	Derivation from M(G;x,y)
First Gourava index	$(D_x + D_y + D_x D_y)(M(G;x,y)) _{x=y=1}$
Second Gourava index	$(D_x + D_y) D_x D_y (M(G;x,y)) _{x=y=1}$
First hyper Gourava index	$(D_x + D_y + D_x D_y)^2 (M(G;x,y)) _{x=y=1}$
Second hyper Gourava index	$[(D_x + D_y) D_x D_y]^2 (M(G;x,y)) _{x=y=1}$
Reciprocal hyper second R-index	$S_x^2 S_y^2 (M(G;x,y)) _{x=y=1}$
Reciprocal hyper third R-index	$S_x^2 J(M(G;x,y)) _{x=1}$

6. Conclusion

Some topological indices of Zanamivir and Chloroquine are computed by M-polynomial. Reciprocal sum connectivity Gourava index and reciprocal product connectivity Gourava index are investigated by Gourava exponential. The values of reciprocal hyper second R-index and reciprocal hyper second R-index of Zanamivir and Chloroquine are nearly equal. Reciprocal hyper second and reciprocal hyper third R-index has low values as compared to other considered topological indices.

References

- [1] A.U.R.Virk, "Some New Topological Invariants for Chemical Structures Used in the Treatment of COVID-19 Patients," *Turkish Journal of Mathematics and Computer Science*, vol. 12, no.2, pp. 112-119, 2020.
- [2] V.R.Kulli, "K-Banhatti Indices of Chloroquine and Hydroxychloroquine: Research Applied for the Treatment and Prevention of COVID-19," *SSRG International Journal of Applied Chemistry*, vol. 7, no.1, pp. 63-68, 2020. Crossref, <https://doi.org/10.14445/23939133/IJAC-V7I1P113>.
- [3] P.De,V.Kumar,S.Kar,K.Roy and J.Leszczynski, "Repurposing FDA Approved Drugs As Possible Anti-SARS Cov-2 Medications Using Ligand Based Computational Approaches: Sum of Ranking Difference Based Model Selection," *Structural Chemistry*, pp. 1-13, 2022. <https://doi.org/10.1007/S11224-022-01975-3>.
- [4] J.F.Zhong, A.Asalam, "Quantitative Structure Property Relations (QSPR) of Valency Based Topological Indices With COVID-19 Drugs and Application," *Arabian Journal of Chemistry*, vol. 1, no. 7, pp. 103240, 2021.
- [5] V.R.Kulli, "Revan Indices of Chloroquine, Hydroxychloroquine and Remdesivir: Research Advances for the Treatment of COVID-19," *International Journal of Engineering Science and Research Technology*, vol. 9, no.5, pp. 73-84, 2020.
- [6] V.R.Kulli, "Revan Polynomials of Chloroquine, Hydroxychloroquine, Remdesivir; Research for the Treatment of COVID-19," *SSRG International Journal of Applied Chemistry*, vol. 7, no. 2, pp. 6-12, 2020. Crossref, <https://doi.org/10.14445/23939133/IJAC-V7I2P102>.
- [7] R.H.Khan, A.Q.Baig, R.Kiran and I.Haider, "M-Polynomials and Degree-Based Topological Indices of Dexamethasone, Chloroquine, and Hydroxychloroquine; Using in COVID-19," *International Journal of Scientific Engineering and Science*, vol. 4, no. 7, pp. 47-52, 2020.
- [8] Anil Kumar K.N., Baswajappa, M.C.Shanmukha and K.C.Shilpa, "Degree Based Topological Indices of Asthma Drugs With QSPR Analysis During COVID-19," *European Journal of Molecular and Clinical Medicine*, vol. 7, no.10, pp. 53-66, 2020.
- [9] S.Amin,M.A.Rehman,A.Naseem,I.Khan and M.Andualem, "Treatment of COVID-19 Patients Using Some Topological Indices," *Hindawi Journal of Chemistry*, , Id 7309788, vol. 2022, pp. 10.
- [10] S.Mandal,N.De and A.Pal, "Topological Indices of Some Chemical Structures Applied for the Treatment of COVID-19 Patients, Polycyclic Aromatic Compounds," *Taylor and Francis*, <http://doi.org/10.1080/10406638.2020.1770306>.
- [11] M.K.P.So,A.M.Y.Chu,A.Tiwari and J.N.L.Chu, "On Topological Properties of COVID-19,Predicting and Assessing Pandemic Risk With Networks Statistics," *Scientific Reports Nature Portfolio*, vol. 11, pp. 5112, 2021.
- [12] S.M.Hosamani, "Quantitative Structure Property Analysis of Anti-COVID-19," *Drugs*, Arxiv:2008.07350v1 [Q-Bio-B.M.], pp. 1-20, 2020.
- [13] S.M.Sheikholeslami, A.Jahanbani and Z.Shao, "On the Molecular Structure of Remdesivir for the Treatment of COVID-19," *Computer Methods in Biomechanics and Biomedical Engineering*, vol. 24, no. 9, pp. 995-1002, 2021.
- [14] G.K.Nandini,R.S.Rajan,A.A.Shantrinal,T.M.Rajlaxmi,I.Rajasingh and K.Balasubramanian, "Topological and Thermodynamic Entropy Measures for COVID-19 Pandemic Through Graph Theory," *MDPI*, vol. 12-01992-V2, 2020.
- [15] A.Alsinal,H.Ahmad,A.Alwardi and S.Nandappa, "HRD Degree Based Indices and M-HR-Polynomial for the Treatment of COVID-19," *Biointerface Research in Applied Chemistry*, vol. 12, no. 6, pp. 7214-7225, 2022.

- [16] S.Hussain,F.Afzal,D.Afzal and D.K.Thapa, "The Study About Relationship of Direct Form of Topological Indices Via M- Polynomial and Computational Analysis of Dexamethasone," *Hindawi Journal of Chemistry*, Article ID -4912143, vol. 2022, pp.10
- [17] S.V.Vinutha,A.S,Shrikant and A.R.Naglaxmi, "Cordial Labeling of Molecular Structures and Topological Indices of Molecular Graphs; QSPR Model," *Eurasian Chemical Communications*, vol. 4, no. 11, pp. 1087-1107, 2022.
- [18] M.R.R.Kanna, S.Roopaa and H.L.Parashivmurthy, "Topological Indices of Vitamin D₃," *International Journal of Engineering and Technology*, vol. 7, no. 4, pp. 6276-6284, 2018.
- [19] V.R.Kulli, "Certain Topological Indices and Their Polynomial of Dendrimer Nanostars," *Annals of Pure and Applied Mathematics*, vol. 14, no. 2, pp. 263-268, 2017.
- [20] I.Gutman, "Geometric Approach to Degree Based Topological Indices, Sombor Indices," *MATCH Communications in Mathematical and in Computer Chemistry*, vol. 86, pp. 11-16, 2021.
- [21] I.Gutman, "On Hyper Zagreb Index and Co-Index," *Bulletin T.CL. Of The Serbian Academy of Sciences and Sciences*, pp. 1-8, 2017.
- [22] S.Ediz,M.R.Farahani and M.Imran, "On Novel Harmonic Indices of Certain Nanotubes," *International Journal of Advanced Biotechnology and Research*, vol. 8, no.4, pp. 277-282, 2017.
- [23] V.R.Kulli, "New Connectivity Topological Indices," *Annals of Pure and Applied Mathematics*, vol. 20, no. 10, pp. 1-8, 2019.
- [24] A.Ali,W.Nazeer,M.Munir and S.M.Kang, " M-Polynomials and Topological Indices of Zig-Zag and Rhombic Benzenoids Systems," *Open Journal of Chemistry*, vol. 16, no.1 , pp.. 73-78, 2018.
- [25] W.Gao,M.Younas,A.Farooq,A.Mahboob and W.Nazeer, "M-Polynomials and Degree-Based Topological Indices of the Crystallographic Structure of Molecules, Biomolecules," *MDPI*, pp. 1-18, 2018.
- [26] E.Deutsch, S.Klavzar, "M-Polynomial and Degree-Based Topological Indices," <https://arxiv.org/Abs/1407,2014,1592>.
- [27] N.K.Raut, G.K.Sanap, "Study of Eccentricity Based Topological Indices of Local Anesthetic Drugs," *International Journal of Advance and Innovative Research*, vol. 6, no. 1, pp. 46-50, 2019.
- [28] S.Alsulami,S.Husain,F.Afzal,M.R.Farahani and D.Afzal, "Topological Properties of Degree Based Invariants Via M-Polynomial Approach," *Hindawi Journal of Mathematics*, Article ID-7120094, vol. 2022, pp. 8.
- [29] S.Ediz, "On R-Degree of Vertices and R-Indices of Graph," *International Journal of Advanced Chemistry*, vol. 5, no.2, pp. 70-72, 2017.
- [30] M.R.Farahani, M.R.R.Kanna and W.Gao, "The Schultz, Modified Schultz Indices and Their Polynomials of the Jahangir Graphs $J_{n,M}$ for Integer Numbers $N=3, M \geq 3$," *Asian Journal of Applied Sciences*, vol. 3, no. 6, pp. 823-827, 2015.
- [31] R.Todeschini, V.Consonni, "Handbook of Molecular Descriptors", *Wiley-VCH, Weiheim*, 2000.
- [32] N.Trinajstic, "Chemical Graph Theory," *CRC Press, Boca Raton, FL*, 1992.
- [33] M.V.Diudia, I.Gutman, and J.Lorentz, "Molecular Topology," *NOVA, Science Publishers Inc.*, ISBN: 1-56072-957-0, 1999.